

A New Oscillator for SI-Traceable Measurements in Atomic Force Microscopy

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Abstract

Atomic force microscopy (AFM) is used to image, measure, and manipulate surface atoms. In general, an atomic force microscope (see Fig. 1) consists of a microscale cantilever with a sharp tip at its end that is used to probe the sample surface. Forces between the tip and the sample lead to a cantilever deflection according to Hooke's law. Usually, manufacturers provide nominal cantilever stiffnesses (k) to AFM users, who then measure an approximate tip deflection (x) to *estimate* the tip-sample force ($F = kx$). Accordingly, AFM has been used to estimate small forces including van der Waals, chemical bonding, and Casimir forces¹.

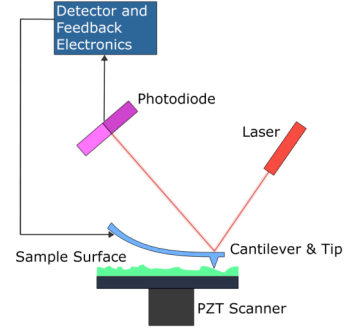


Figure 1. Block Diagram of an AFM.

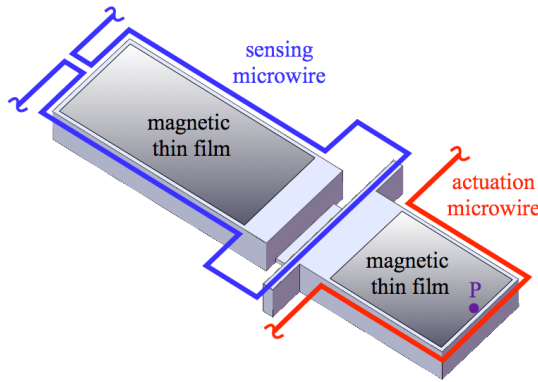


Figure 2. Micro-oscillator composed of a sensing side (left), an actuation side (right), and microwires.

measure SI-traceable nanonewton-level by standards of the National Institute of Standards and Technology (NIST).

The theoretical foundations, microfabrication steps, and preliminary experimental data for the device will be discussed in this presentation. First, we outline the two-degree-of-freedom approximation for the system, which is seen in Fig. 3. Second, the nonlinear control system that transforms the system into a Rayleigh-like oscillator³ is explained. In fact, we show how the device could be calibrated in air and then used in ultra-high vacuum with a velocity shift within 0.4 percent. Finally, we examine the preliminary experimental data and also explain the possible future use of the new micro-oscillator as a stiffness sensor.

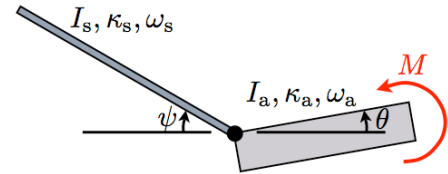


Figure 3. Approximate oscillator model.

¹e.g., G. L. Klimchitskaya *et al.*, Phys. Rev. A, **60**(5), pp. 3487–3494 (1999).

²e.g., P. J. Cumpson and J. Hedley, Nanotechnology, **14**, pp. 1279–1288 (2003).

³p. 147 of A. H. Nayfeh's *Introduction to Perturbation Techniques* (Wiley, 1981) describes the Rayleigh equation.