

A CAPACITANCE STANDARD BASED ON COUNTING ELECTRONS: PROGRESS REPORT

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Abstract

We have combined an electron pump and a vacuum-gap capacitor to create a prototype capacitance standard based on electron counting. We are testing various components individually to determine whether a standard with an overall uncertainty of 1 part in 10^8 is feasible.

Introduction

We are working to realize a capacitance standard directly from the definition of capacitance: A charge of 1 coulomb on a capacitance of 1 farad produces a potential difference of 1 volt. The critical technologies for this standard are single electron tunneling (SET) devices and a vacuum-gap capacitor. An electron pump will be used to place a known number of electrons onto the vacuum-gap capacitor and a measurement of the resulting voltage will yield the value of capacitance[1]. The vacuum-gap capacitor will then serve as a primary standard to which other capacitors can be compared.

Our recent work has focused on the characteristics of individual pumps and capacitors. We have made a 7-junction pump that counts electrons with an uncertainty of about 1 part in 10^8 [2, 3]. A vacuum-gap capacitor with a parallel leakage resistance of greater than

$10^{19} \Omega$ has also been demonstrated[4]. Our present work involves combining the pump and the capacitor with other components to make a complete standard.

Prototype Standard

Figure 1 shows the various components of the prototype capacitance standard. The cryogenic needle switches $S1$ and $S2$ allow four different circuit configurations. As described previously[5], by closing both $S1$ and $S2$ we can characterize the pump and the SET electrometer, and by opening both $S1$ and $S2$ we can verify the accuracy of the pump by detecting single electrons at the electrometer input. With $S1$ closed and $S2$ open, we can pump electrons onto the vacuum-gap capacitor C . As we do this, the electrometer will control a feedback circuit F which delivers a voltage V to the outer terminal of C so that the voltage across the pump remains at zero, as required for accurate pumping. We will then stop the pump after N cycles, measure the voltage V , and the value of C will be simply Ne/V . We expect to have $C \sim 1$ pF, $N \sim 10^8$, and $V \sim 10$ V. With $S1$ open and $S2$ closed, we can compare C with another capacitor at room temperature using an ac bridge (see Figure 2b of ref. [6]).

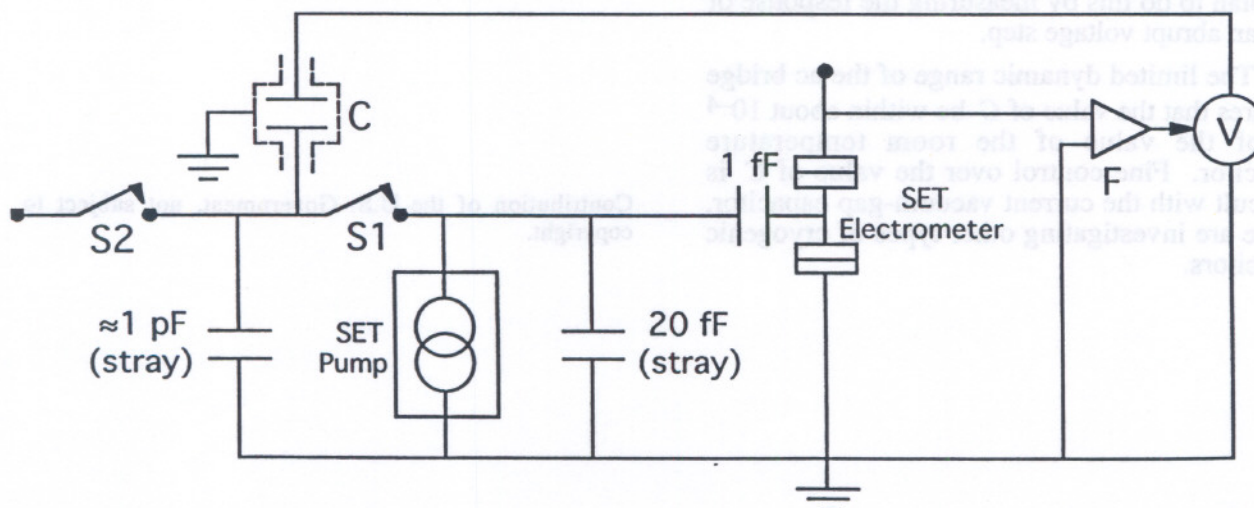


Fig. 1 Schematic circuit of capacitance standard. All components except F and V are at 40 mK.

We are currently focusing on four major challenges facing this approach to a capacitance standard.

(1) The electrometer cannot maintain exactly zero voltage at the node between the pump and the vacuum-gap capacitor because it has finite noise. This translates into an uncertainty in the actual voltage across C . Recent calculations show that an uncertainty of 1 part in 10^8 will require better noise performance than has been routinely achieved to date[6]. We are exploring a variety of ideas for reducing electrometer noise, which appears to come from charged defects that are near the device and move even at very low temperature.

(2) Once C has been charged by the pump, the charge must not leak off the node between the pump and C during the time needed to measure V . Our tests show that the pump is the dominant path for leakage, with one electron escaping about every 10 minutes. This should allow sufficient time for a measurement of V (~ 10 V) with an uncertainty of 1 part in 10^8 .

(3) The frequency dependence of C must be very small. Pumping 10^8 electrons onto C will take about 20 s and the measurement of V may take another 10 s. Thus the value of C is determined at an effective frequency of about 0.03 Hz. The ac bridge used to compare C with another capacitor at room temperature will operate at about 1 kHz. Thus we must determine whether C is constant within 1 part in 10^8 over more than 4 orders of magnitude in frequency. We plan to do this by measuring the response of C to an abrupt voltage step.

(4) The limited dynamic range of the ac bridge requires that the value of C be within about 10^{-4} pF of the value of the room temperature capacitor. Fine control over the value of C is difficult with the current vacuum-gap capacitor, so we are investigating other types of cryogenic capacitors.

References

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